



SOUTH EASTERN KENYA UNIVERSITY

UNIVERSITY EXAMINATIONS 2015/2016

FIRST SEMESTER EXAMINATION FOR BACHELOR OF SCIENCE IN ECONOMICS AND BACHELOR OF SCIENCE IN ECONOMICS AND STATISTICS

STA: 432: APPLIED ECONOMETRICS

Date: 15TH DECEMBER, 2016

TIME: 4.00-6.00PM

INSTRUCTIONS TO CANDIDATES

Answer Question **One** and any other **TWO** Questions

QUESTION ONE (30 MARKS)

- a) Briefly describe three most common types of data structures used by applied economists (6 marks)
- b) State the assumptions of the classical linear regression model (6 marks)
- c) Briefly explain how qualitative and ordinal information is incorporated in regression analysis (6 marks)
- d) How would you interpret coefficient estimate on a dummy variable (4 marks)
- e) State the consequences of heteroskedasticity (4 marks)
- f) Briefly explain the tests for heteroskedasticity (4 marks)

QUESTION TWO (20 MARKS)

Consider the earnings model: $Wage_i = \beta_1 + \beta_2 Exper_i + \beta_3 Educ_i + u_i$, where *Wage* is measured in shillings per hour, *Exper* is work experience in years, and *Educ* is the number of years of schooling. The table below shows the OLS regression results for 100 males in a given year. Use information given in the tables below and the model above to answer the following questions:

STATA results from OLS estimation of the earnings model

Source of variation	Sum of squares	Degrees of freedom	MS		
ESS	2057.5037	2	1028.75185		
RSS	6059.71269	97	62.4712648		
TSS	8117.21639	99	81.9920847		
Variable	Coefficient	Std. Error	t	P> t	[95% Conf. Interval]
Intercept	-11.91922	4.750254	-2.51	0.014	-21.34716 to -2.491275
Experience	0.328525	0.0658247	4.99	0.000	0.1978813 to 0.459168
Education	1.435782	0.321546	4.47	0.000	0.7976026 to 2.073962

- Provide an economic interpretation for the three estimated coefficients. (9 marks)
- Provide a statistical test that experience doesn't impact wages and that each year of schooling adds one shilling to wage. (6 marks)
- Calculate the R^2 value and interpret the results. (5 marks)

QUESTION THREE (20 MARKS)

We are interested in estimating the hedonic pricing model of house as follows:

$$\log(\text{Price}) = \alpha + \beta * \text{Sqrft} + \gamma * \text{Bdrms} + u,$$

where Price is the house price, Sqrft is square footage, and Bdrms is the number of bedrooms.

The table below gives regression results.

Variable	Coefficient	Std. Error	t	P> t
Intercept	4.766027	0.097044	49.11178	0.0000
Sqrft	0.000379	0.0000043	8.781028	0.0000
Bdrms	0.028884	0.029643	0.974403	0.3326

- Predict the percentage change in price when a 150-square-foot bedroom is added to a house. (10 marks)

(b) Let $\theta = 150\beta + \gamma$ denote the percentage change in price when a 150-square-foot bedroom is added to a house. Show that our model can be written as follows:

$$\log(\text{Price}) = \alpha + \beta * (\text{Sqrft} - 150 * \text{Bdrms}) + \theta * \text{Bdrms} + u$$

(10 marks)

QUESTION FOUR (20 MARKS)

Consider the following Cobb-Douglas production function:

$$Q_i = AL_i^{\beta_1} K_i^{\beta_2} \exp(u_i)$$

where Q is quantity of output, L is labor, and K is capital. The table below shows the OLS regression results for $N = 30$. Use the table below and the model above to answer the following questions:

Source of variation	Sum of squares	Degrees of freedom	MS		
ESS	56.2849454	2	28.1424727		
RSS	5.00527476	27	0.185380547		
TSS	8117.21639	99	81.9920847		
Variable	Coefficient	Std. Error	t	P> t	[95% Conf. Interval]
Intercept	0.4247983	0.1378111	3.08	0.005	0.1420333 to 0.7075633
lnL	0.7358085	0.0657967	11.18	0.000	0.6008048 to 0.8708122
lnK	0.9489907	0.0629072	15.09	0.000	0.8199159 to 1.078066
R-squared	0.9183				
Adj R-squared	0.9123				

- a) Provide an economic interpretation for A , β_1 , and β_2 . (10 marks)
- b) Provide a statistical test that the elasticity of output with respect to labor is 0.75. (10 marks)

QUESTION FIVE (20 MARKS)

Suppose you obtain the following fitted model using OLS:

$$\text{sleep} = 3840.83(235.11) - 0.163(0.018)\text{totwrk} - 11.71(5.86)\text{educ} - 8.70(11.21)\text{age} + 0.128(0.134)\text{age}^2 + 87.75(34.33)\text{male}$$

Where $n = 706$, $R^2 = 0.123$. Standard errors are in parentheses next to each coefficient.

sleep: total minutes per week spent sleeping at night.

totwrk: total weekly minutes spent working

Educ: years of education

Age: age in years

Male: = 1 if male, =0 if female

- a) Holding other things constant, what is the difference in sleep between men and women, according to these estimates? (5 marks)
- b) Is the difference in sleep between men and women statistically significant at the 1% level? (10 marks)
- c) What is the effect of being an extra year older on weekly minutes of sleep for someone who is 40 years old? (5 marks)